

**Ehresmann doubles and Drinfel'd doubles  
for Lie algebroids and Lie bialgebroids**

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This is a list of notation for the above paper. The editorial policy of the Journal prevented page numbers being included in the published paper.

The notation of the paper is generally that of [35]. The list provided here gives the less familiar notations and others which are not present in [35].

$a, b, \dots$	anchors of Lie algebroids $A, B, \dots$
$\mathcal{D}(E)$	Lie algebroid of derivations on the vector bundle $E$ , p. 212
$\rho, \sigma$	representations of Lie algebroids
$A \triangleleft P, P \triangleright A$	action Lie algebroids for left/right actions of $A$ on manifold $P$
$f^!E$	inverse image of vector bundle $E$ across smooth map $f$
$(D; A, B; M)$	double vector bundle with side bundles $A$ and $B$ , p. 205
$D \star A$	ordinary vector bundle dual, with respect to the structure with base $A$ , p. 206
$Z_A, Z_B$	isomorphisms corresponding to duality between duals, p. 207
$\xi^\square$	section of dual induced by linear section, p. 209
$R$	canonical antisymplectomorphism $T^*A^* \rightarrow T^*A$ for $A$ a vector bundle, pp. 196, 208
$J_M$	canonical involution $T^2M \rightarrow T^2M$
$\Theta_M$	Tulczyjew diffeomorphism $TT^*M \rightarrow T^*TM$ , p. 216
$\Delta_A, \Delta_B$	anchors in a double Lie algebroid, pp. 211, 215
$(S; H, V; M)$	double Lie groupoid with side groupoids $H \rightrightarrows M$ and $V \rightrightarrows M$ , pp. 198, 230
$\boxplus, \boxminus$	compositions in a double groupoid, p. 199
$\alpha_2$	double source map $S \rightarrow H \times_M V$ of a double groupoid, p. 198
$A_2S, A^2S$	double Lie algebroid of a double Lie groupoid, p. 199
$\Lambda_H, \Lambda_V$	canonical diffeomorphisms $A^*(A_H^*S) \rightarrow A(A_V^*S)$ , $A^*(A_V^*S) \rightarrow A(A_H^*S)$ , p. 234
$\vartheta_G$	canonical diffeomorphism $TA^*G \rightarrow A^*TG$ for $G \rightrightarrows M$ a Lie groupoid, p. 237

Correction: On p. 205, Definition 3.1 should be 2.1.